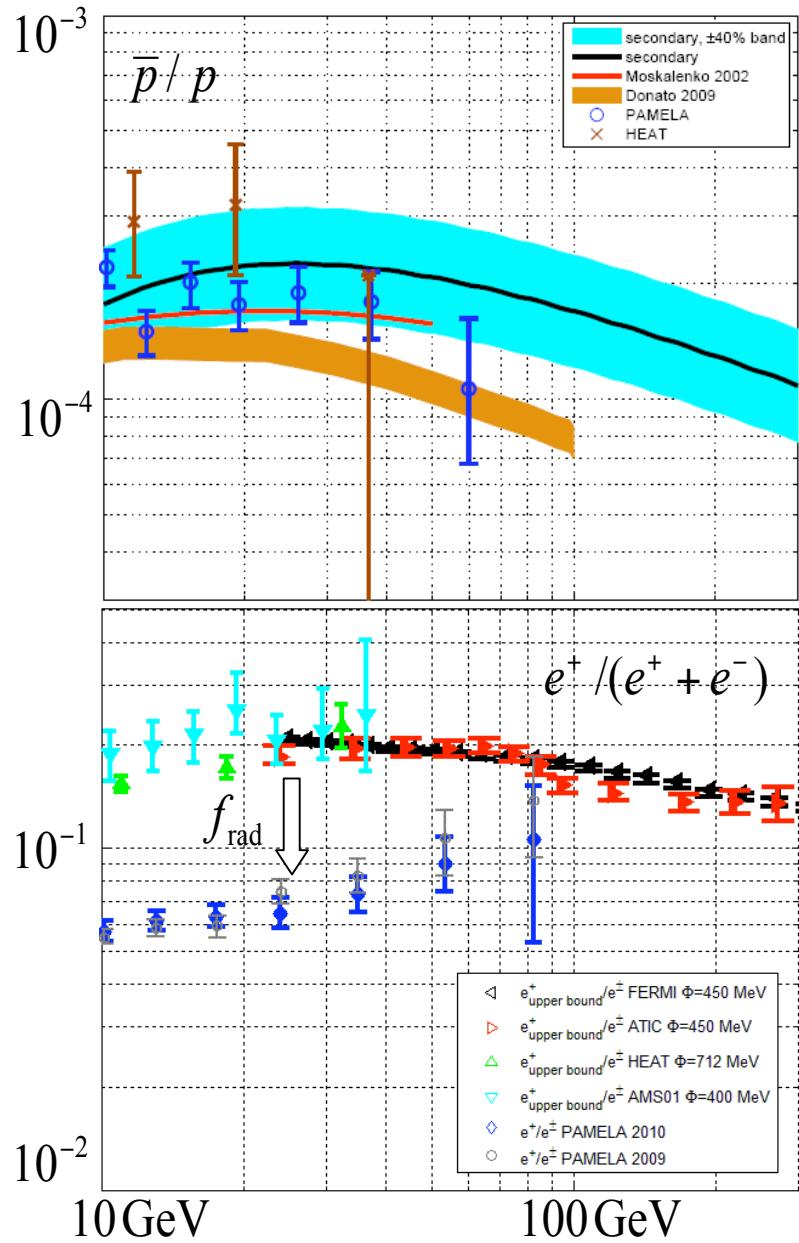


PAMELA: New e^+ sources?



- For all secondaries (e.g. anti-p)

$$n_i(\varepsilon) = \left[\sum_{j \neq i} n_j \frac{\sigma_{j \rightarrow i}}{m_p} - \frac{n_i \sigma_i}{m_p} \right] X_{\text{sec}}(\varepsilon / Z)$$

$$X_{\text{sec}} \approx 8.7 \left(\frac{\varepsilon}{10Z \text{ GeV}} \right)^{-0.5} \text{ g/cm}^2$$

- Radiative e^+ losses- depend on propagation in Galaxy (poorly understood)

$$n_+(\varepsilon) = Q_+ X_{\text{sec}}(\varepsilon / Z) f_{\text{rad}}$$

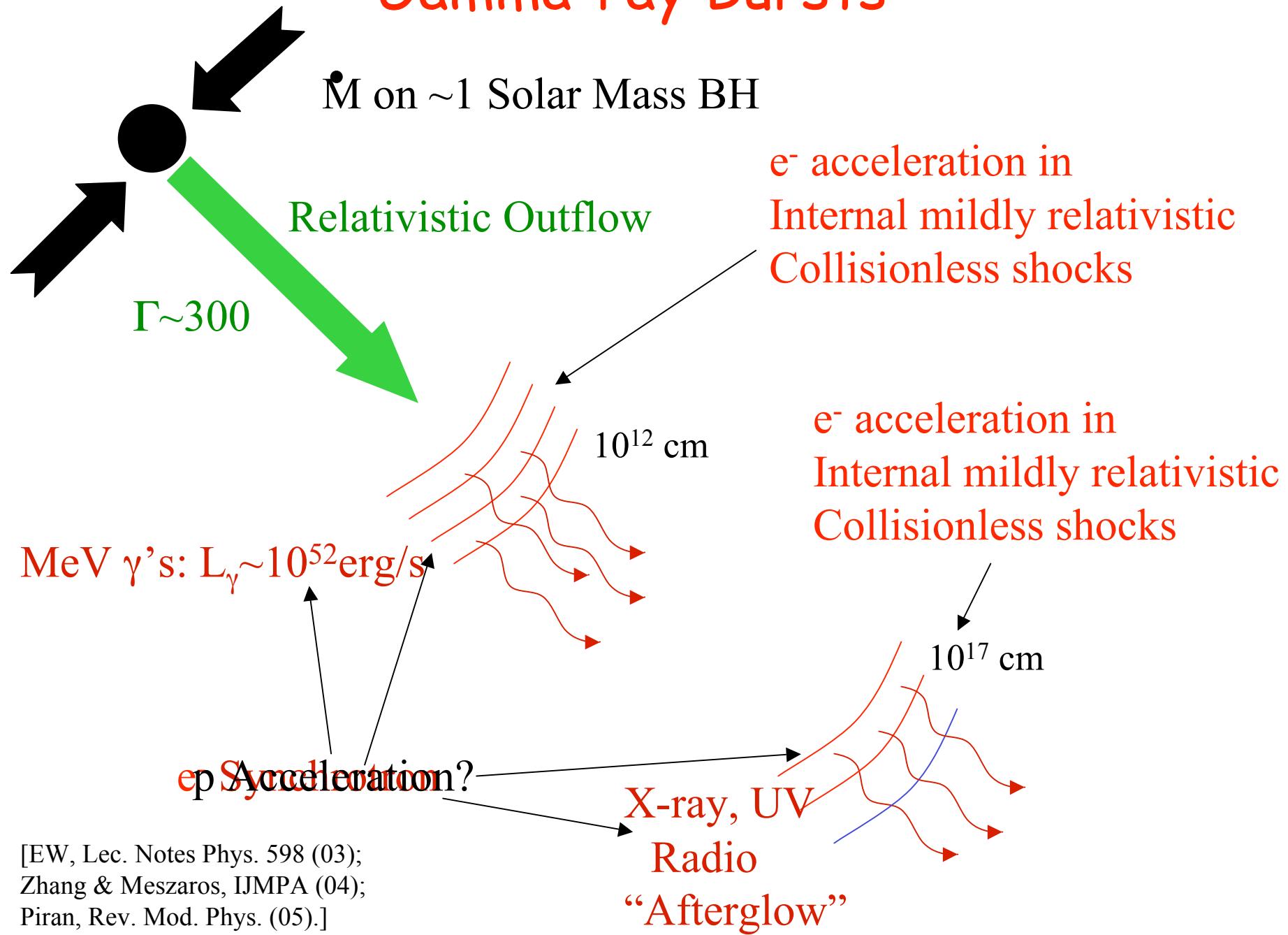
- * At $\sim 20 \text{ GeV}$: $f_{\text{rad}} \sim 0.3 \sim f_{10 \text{ Be}}$
 $\rightarrow e^+$ consistent with 2ndary origin
- * Above 20 GeV:
If PAMELA correct
 \rightarrow energy independent $f_{\text{rad}}(\varepsilon)$

[Katz, Blum & EW 10, MNRAS 405, 1458]

Gamma-ray bursts,
Collisionless shocks
and
Ultra-high energy cosmic-rays

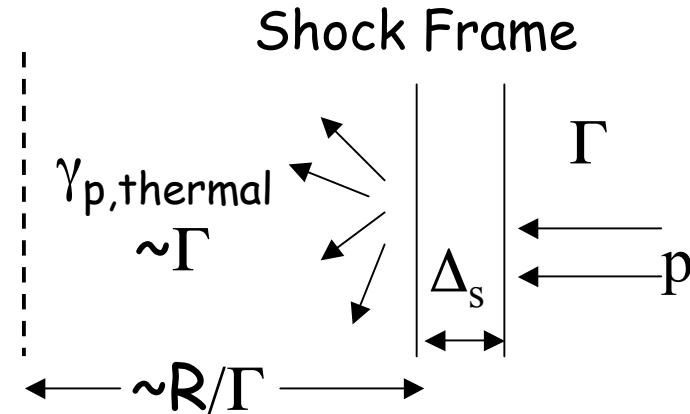
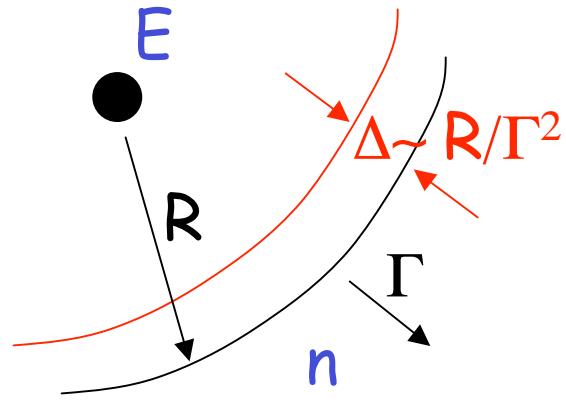
E. Waxman
Weizmann Inst., Israel

Gamma-ray Bursts



Afterglow: I. Dynamics

Relativistic "point explosion"



- $E \sim \Gamma^2 M(R, n) c^2 \rightarrow \Gamma \sim (E / n m_p R^3)^{1/2}$
 $\Gamma \{1\text{min}, 1\text{day}, 1\text{yr}\} \sim \{100, 10, 1\}$

[Blandford & McKee 76]

- Why collisionless shock?

$$\text{Coulomb: } \Gamma m_p c^2 = \frac{e^2}{d} \Rightarrow \Delta_s \sim \lambda_{\text{Coul.}} \approx \frac{1}{\Gamma n \pi d^2} = 10^{31} \Gamma n_0^{-1} \text{ cm}$$

$$\text{Plasma: } \omega_p = \sqrt{\frac{4\pi \Gamma n e^2}{\Gamma m_p}} \Rightarrow \Delta_s \sim \lambda_{sd} = \frac{c}{\omega_p} \approx 10^7 n_0^{-1/2} \text{ cm}$$

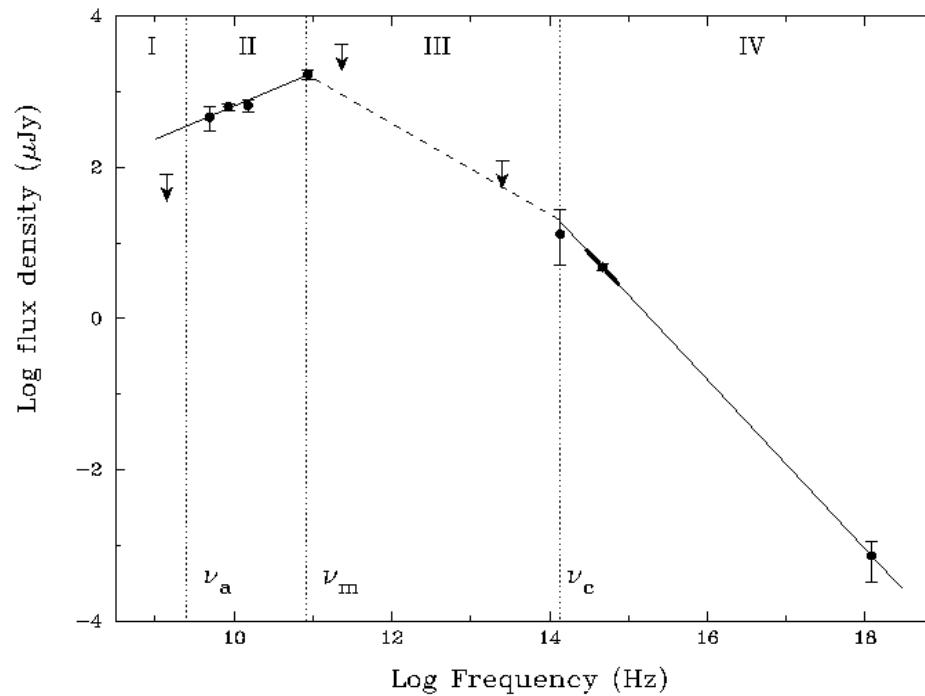
Afterglow: II. Radiation

A phenomenological model

- Collisionless: B generation, non-thermal particles
→ synchrotron emission
- Open questions:
 1. B generation: $B_{\text{down}}^2 / 8\pi = \epsilon_B u_{\text{thermal,down}}$
 2. Non-thermal e⁻: $\gamma_{e,\text{thermal}} = \epsilon_e \frac{m_p}{m_e} \Gamma$
 $\gamma_e > \gamma_{e,\text{thermal}} : \frac{dn_e}{d\gamma_e} \propto \gamma_e^{-p}; p \approx 2$

Observations: Phenomenological success

- Model parameters
 $\{E, n, p, \varepsilon_e, \varepsilon_B\}$
- Qualitative agreement
($t > 10$ hr)
 $f(t, \nu) = A + \alpha(p) \nu^\beta(p)$
- Observables
 $\{f_m, \nu_m, \nu_c, \nu_a\}$
- Typical values:
 $\{E \sim 10^{52} \text{ erg}, n \sim 1/\text{cm}^3, p = 2.2 \pm 0.1, \varepsilon_e \sim \varepsilon_B \sim 0.1\}$
No Γ dependence ($\Gamma < 30$)



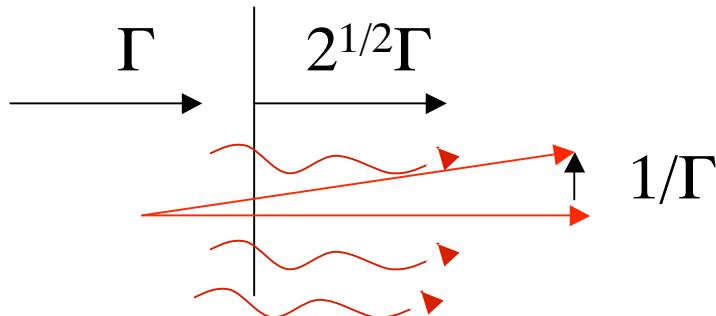
[Wijers & Galama 98]

[EW 97;
Freedman & EW 01]

The challenges

- Highly non magnetized: $U_{B,up} \sim 10^{-9} \text{ nm}_p c^2$
[$\omega_L = e\Gamma B_{up}/\Gamma m_p c$, $\omega_L^2/\omega_p^2 = B_{up}^2/4\pi n m_p c^2 \sim 10^{-9}$]
- $\epsilon_B \sim 0.1$
- EM instabilities (ala Weibel) may give $\epsilon_B \sim 0.1$
[Gruzinov & EW 99;
Medvedev & Loeb 99]
But: $\Delta' \sim R/\Gamma \sim \Gamma ct \sim 10^{17} \text{ cm} \gg c/\omega_p \sim 10^7 \text{ cm}$
 λ_B must increase by orders of mag. @ downstream?
[Gruzinov & EW 99;
Gruzinov 01]
- Particle acceleration:
e⁻ coupling ($\epsilon_e \sim 0.1$); $dn/d\gamma \sim \gamma^{-2}$
p acceleration to UHE?

A note on upstream field



- $t(\text{acceleration}) < t(\text{inverse-Compton})$

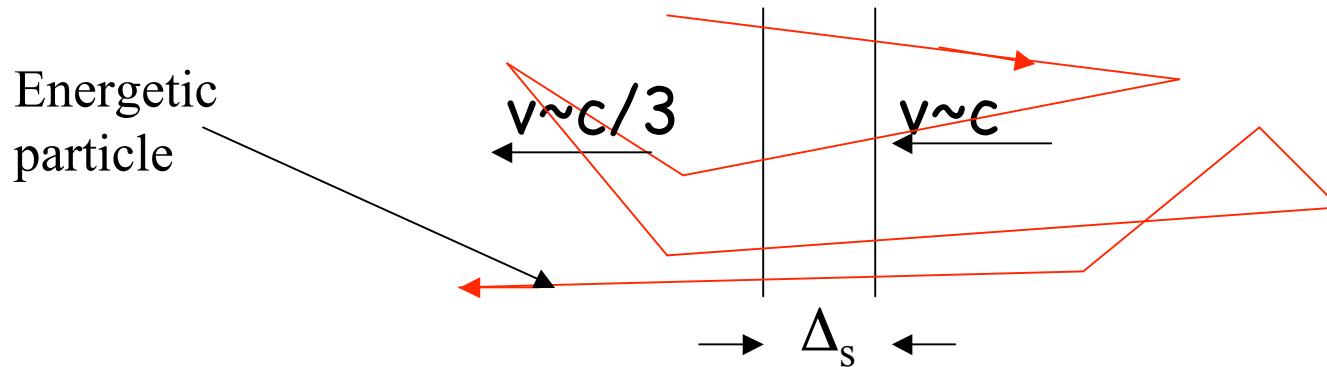
X-ray (@10hr) $\rightarrow B_{\text{up}} > 0.2 n_0^{5/8} \text{ mG} \gg \sim 3 \mu\text{G}$ [Li & EW 06]

100MeV (@100s) $\rightarrow B_{\text{up}} > 1 n_0^{5/8} \text{ mG} \gg \sim 3 \mu\text{G}$ [Li 10]
(confinement only $\rightarrow B_{\text{up}} > 0.1 \text{ mG}$ [Piran & Nakar 10])

→ Upstream field generation

(Inconsistent with [Barniol & Kumar 10])

Fermi shock acceleration



- Test particle, elastic scattering, small momentum change: "diffusion"
- $v/c \ll 1$: $p=2$ (strong shock)

[Krimsky 77; Axford, Leer & Skadron 78; Blandford & Eichler 78]

- $v/c \sim 1$, Assuming Isotropic diffusion
Simulations: $p(\Gamma \gg 1) = 2.2 \pm 0.2$
Analytic approximation: $p(\Gamma \gg 1) = 20/9$

[Bednarz & Ostrowski 98; Kirk et al. 00; Ellison 05; Meli & Quenby 06]

[Keshet & EW 05,
Keshet 06]

- Open Q's:
 p depends on diffusion form
Self-consistent (particles + EM fields) theory

Plasma simulations: I. Homogeneous

- 1D, 2D applicability??
[e.g. Wallace 91; Kato 05;
Dieckmann 06]
- Homogeneous (anisotropic) plasma

Study linear growth & saturation of EM instabilities,

Reach $\varepsilon_B \sim 0.01$,

But:

Does the field decay on long ($\gg 1/\omega_p$) time scale?

No particle acceleration

Relevance for non-homogeneous shock flow?

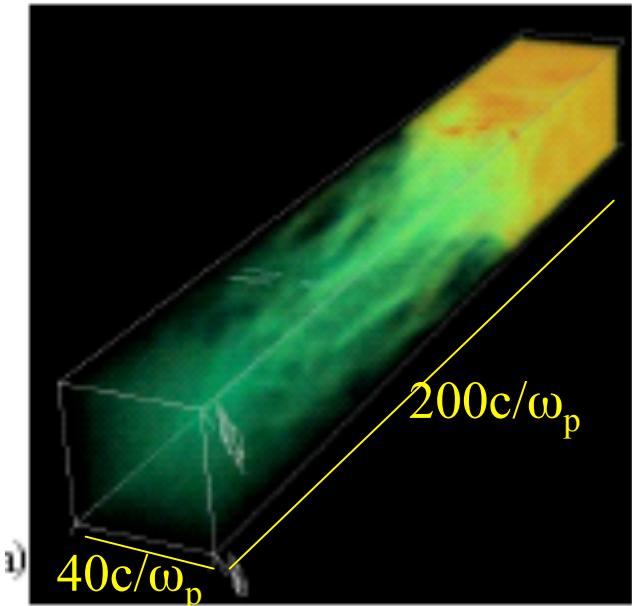
[e.g. Silva et al. 03;
Jaroschek et al. 04]

Plasma simulations II: 3D

- 3D $e^+ e^-$ plasma, $\Gamma=15$ "piston"
Shock forms, width $\sim 10 c/\omega_p$,
Reach $\varepsilon_B \sim 0.01$,

But:

- $\gg 1/\omega_p$ field decay?
- Particle acceleration?
- Relevance for e/p plasma?



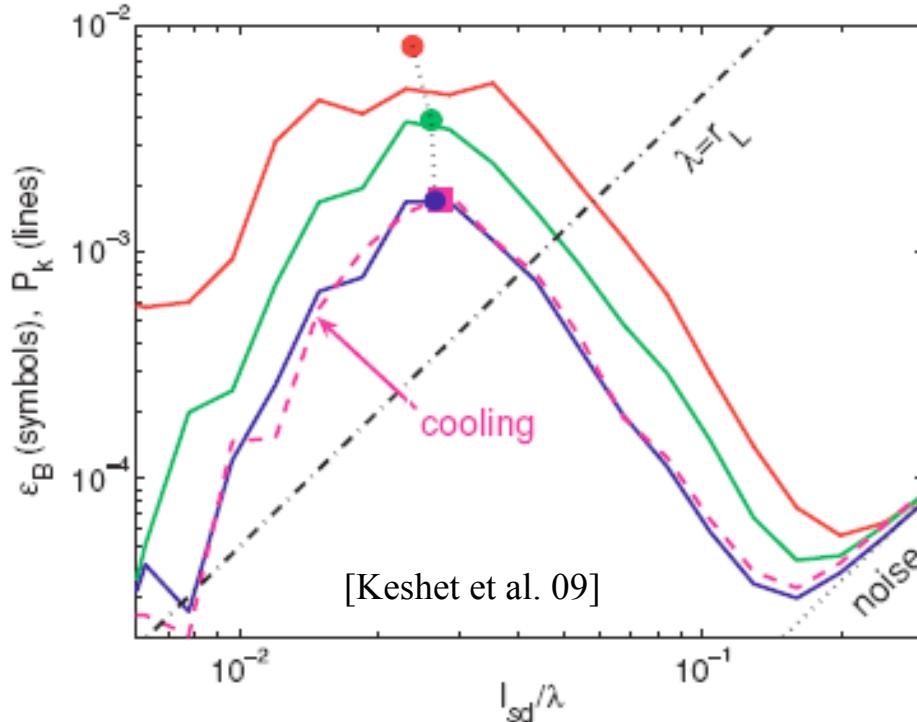
[Spitkovsky 06]

- e/p ($m_p/m_e=16$) plasma simulations:
Study physical process, but
Do not reach shock formation.

[Nishikawa et al. 03;
Fredriksen et al. 04;
Hededal et al. 04]

Plasma simulations: III. Large 2D $e^+ e^-$

$\Gamma=15$ "piston", transverse $\sim 100 c/\omega_p$, $\omega_p t \sim 10^4$



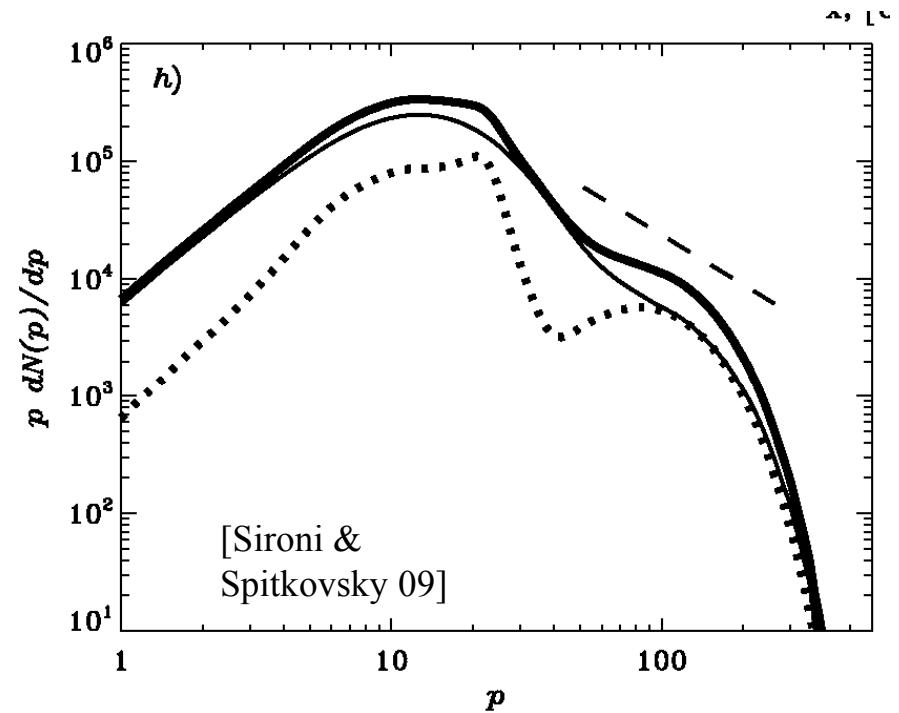
B

$$\omega_p t / 10^3 = 2, 5, 13$$

B scale grows, ϵ_B grows to 0.01

Cooling = no $\gamma > 80$

No steady state @ $\omega_p t \sim 10^4$



Particles

Non-thermal ($\Gamma \gg 15$) tail

However: Note Γ^2 !

Simulations: What have we learned?

- 2D $e^+ e^-$ plasma, $\Gamma=15$ "piston":
Shock forms, width $\sim 10 c/\omega_p$
 B scale grows, ε_B grows to 0.01
Growth associated with non-thermal particles
No steady state @ $\omega_p t \sim 10^4$
- Open:
Does B survive to $\omega_p t \sim 10^9$?
Particle acceleration to $>\Gamma^2$?
 $e^+ e^- = e-p$ plasma?
2D=3D?

→ Numerics unlikely to directly resolve open Qs.
Provides input/tests for analytic studies.

Some analytic beginnings

- B amplifications by instabilities

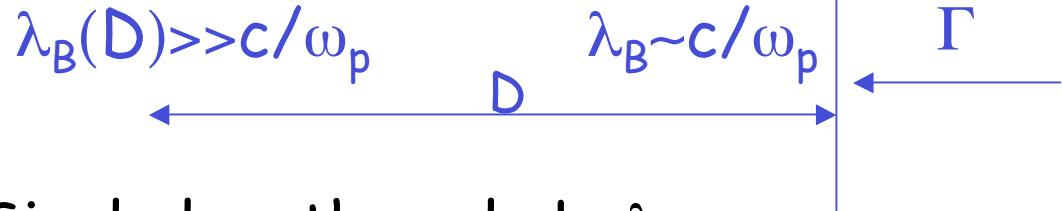
[Medvedev et al. 05; Milosavljevic & Nakar 05; Lyubarsky & Eichler 06; Achterberg & Wiersma 2007; Bret 2009; Lemoine & Pelletier 2009; Lazar, Schlickeiser & Poedts 10 ...]

- Long wave-length modes in upstream

- may deflect $\gamma < \Gamma^2$ in $e^+ e^-$ plasma
- suppressed for $\Gamma < (m_p/m_e)^{1/2}$ in e-p plasma

[Rabinak, Katz
& EW 09]

- Self-similarity



As λ_B diverges \rightarrow Single length scale $L \sim \lambda_B$

\rightarrow Self-similar (scaleable) solutions

e.g.

$$-1 < s_B < 0: \quad B \propto D^{s_B}, \quad dn/d\gamma \propto \gamma^{-2/(s_B+1)}$$

Infinite conductivity $\rightarrow s_B = 0$ ($p=2$).

[Katz, Keshet & EW 06]

UHE, $>10^{19}$ eV, CRs & GRBs

- Constraints:

- Confinement $\rightarrow L > 10^{12} (\Gamma^2/\beta) L_{\text{sun}}$
- Synch. Losses $\rightarrow \Gamma > 10^{2.5} (L_{52})^{1/10} (\delta t/10\text{ms})^{-1/5}$

[EW 95]

- Production rate: $\epsilon^2 (dQ/d\epsilon) \sim 10^{43.5} \text{ erg/Mpc}^3 \text{ yr}$
- Source distance: $d(10^{20}\text{eV}) < d_{GZK} \sim 100\text{Mpc}$
- !! No $L > 10^{12} L_{\text{sun}}$ at $d < d_{GZK} \rightarrow$ Transient Sources

[i]

- Gamma-ray Bursts (GRBs)

[EW 95, Vietri 95, Milgrom & Usov 95]

✓ $L_{\gamma} \sim 10^{19} L_{\text{Sun}} > 10^{17} (\Gamma / 10^{2.5})^2 L_{\text{sun}}$

✓ $\Gamma \sim 10^{2.5}$ (pair production)

✓ $\epsilon^2 (dQ/d\epsilon)_{\gamma} \sim 10^{52.5} \text{ erg} * 10^{-9.5} / \text{Mpc}^3 \text{ yr} = 10^{43} \text{ erg/Mpc}^3 \text{ yr}$

✓ Transient: $\Delta T_{\gamma} \sim 10\text{s} \ll \Delta T_{p\gamma} \sim 10^5 \text{ yr}$

[EW 95, 04]

* Acceleration @ Internal mildly relativistic shocks

Or: External highly relativistic shocks provided B_{up} amplified

A comment on production rates

- " $Q_{\gamma, \text{MeV, GRB}} \sim 10^{-2} Q_{\text{UHECR}}$ "
[e.g. Wick et al. 04 ; Berezinsky 08;
Eichler et al 2010]
- Discrepancy due mainly to
Assuming UHECRs X-Galactic above $\sim 10^{18} \text{ eV}$
(instead of $\sim 10^{19} \text{ eV}$)
- Requires:
Fine tuning
 $(dQ/d\varepsilon)_{XG} \sim \varepsilon^{-2.7}$ -- Inconsistent with $> 10^{19} \text{ eV}$ data



GRBs & UHECRs: Predictions

- CR experiments:
 - Few narrow spectrum sources above 3×10^{20} eV
[Miralda-Escude & EW 96]
 - Difficult to check, even with Auger
- HE ν experiments
 - Internal shocks: ~ 10 (100TeV events)/Gton/yr
Accessible to IceCube, Km3Net [EW & Bahcall 97, 99; Rachen & Meszaros 98; Guetta et al. 01; Murase & Nagataki 06]
 - External shocks: 10^{18} eV ν 's, difficult to detect

Summary: Collisionless shocks

- GRB afterglows- likely e^- acceleration in Collisionless, Relativistic ($\Gamma=100 \rightarrow 1$), Un-magnetized ($U_{B,\text{up}} \sim 10^{-9} \text{ nm}_p c^2$) shocks
- Challenges:
 - $U_{B,\text{down}}$ near equipartition ($\times 10^9$), survive to $\omega_p t \sim 10^9$
(Evidence for $U_{B,\text{up}}$ amplification $\times 10^4 - 10^6$)
 - e^- coupling ($\varepsilon_e \sim 0.1$) and acceleration, $dn/d\gamma \sim \gamma^{-2}$
- Current status
 - Test particle understanding of particle acceleration
 - 2D $e^+ e^-$ simulations:

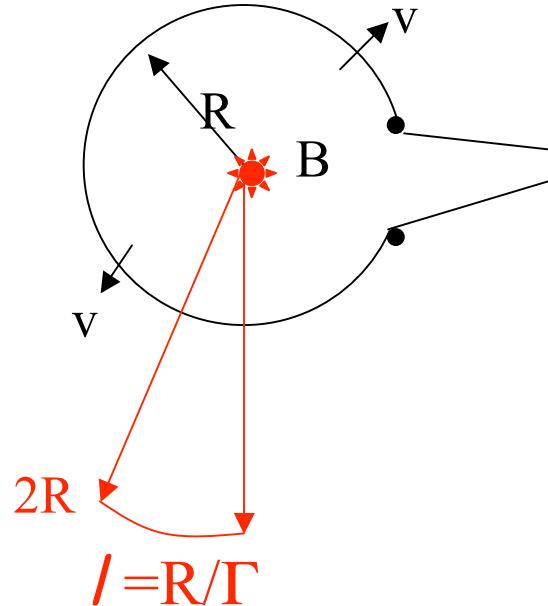
Shock forms @ $\sim 10 c/\omega_p$,	No steady state @ $\omega_p t \sim 10^4$
ε_B grows to 0.01,	Survive to $\omega_p t \sim 10^9$?
Non-thermal particles	Acceleration to $> \Gamma^2$?
B scale grows, associated with non-thermal particles	$e^+ e^- = e-p?$ 2D=3D?

Summary: UHECRs

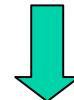
- $>10^{19}$ eV particles: Origin, Acceleration not known.
- GRBs- only known sources satisfying all constraints.
May produce observed flux if accelerate e⁻ and p with similar efficiency.
- Predictions
 - CR experiments:
Few narrow spectrum sources above 3×10^{20} eV,
Difficult to check, even with Auger.
 - HE ν experiments:
Internal shocks $\rightarrow \sim 10$ (100TeV events)/Gton/yr,
Accessible to IceCube, Km3Net.



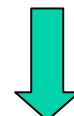
UHECRs: The 10^{20} eV challenge



$$V = \frac{1}{c} \dot{\Phi} \sim \frac{1}{c} \frac{BR^2}{R/v} = \beta BR \Rightarrow \varepsilon_p < \beta eBR / \Gamma$$



$$L > 4\pi R^2 \Gamma^2 \frac{B^2}{8\pi} v > \frac{1}{2\beta} \left(\frac{\varepsilon_p}{e} \right)^2 c \Gamma^2$$



$$(\delta t_{RF} = R/\Gamma c)$$

$$L > \frac{\Gamma^2}{\beta} \varepsilon_{p,20}^2 \times 10^{46} \text{ erg/s}$$

• AGN: $\Gamma \sim \text{few} \rightarrow L > 10^{47} \text{ erg/s}$

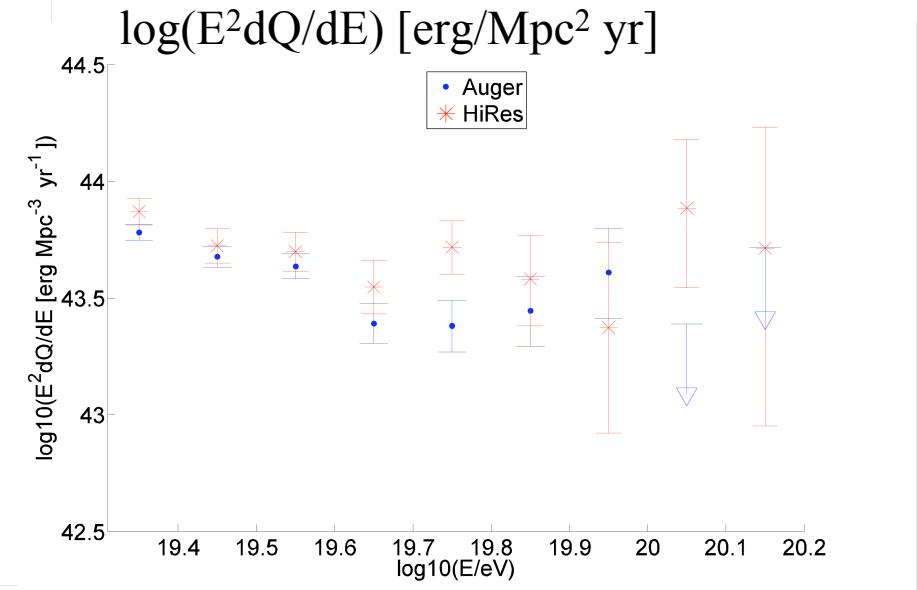
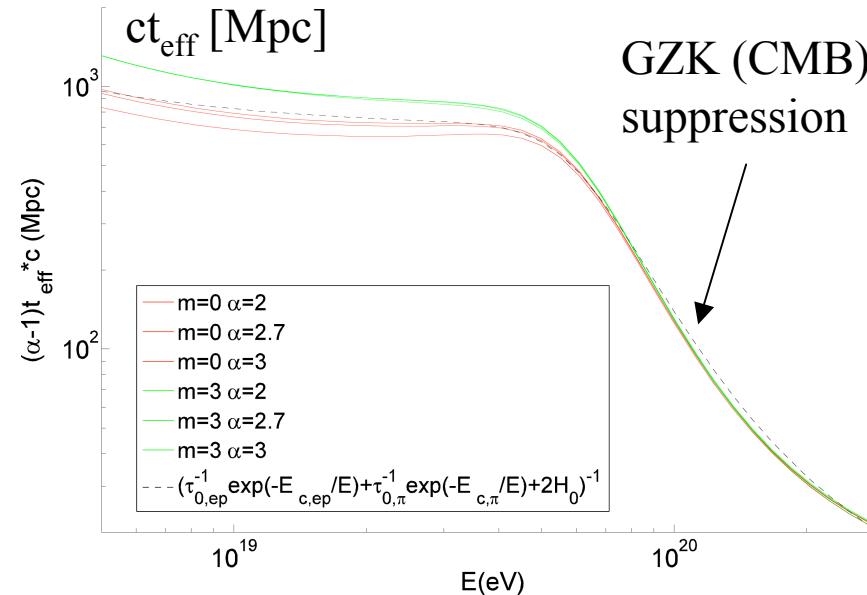
• GRB: $\Gamma \sim 300 \rightarrow L > 10^{51} \text{ erg/s}$



Flux & Spectrum

- $E^2(dN/dE) = E^2(dQ/dE) \tau_{\text{eff.}}$

$$(\tau_{\text{eff.}} : p + \gamma_{\text{CMB}} \rightarrow N + \pi)$$



[Katz, Budnik & EW 09]

- $> 10^{19.3}$ eV: consistent with protons, $E^2(dQ/dE) \sim 10^{43.5}$ erg/Mpc³ yr + GZK

[EW 1995; Bahcall & EW 03]

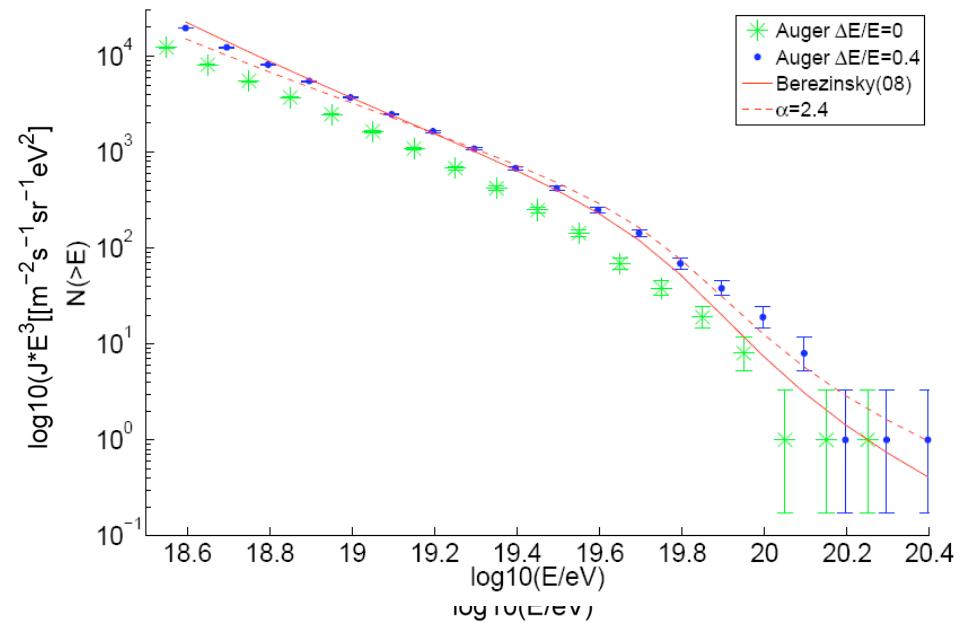
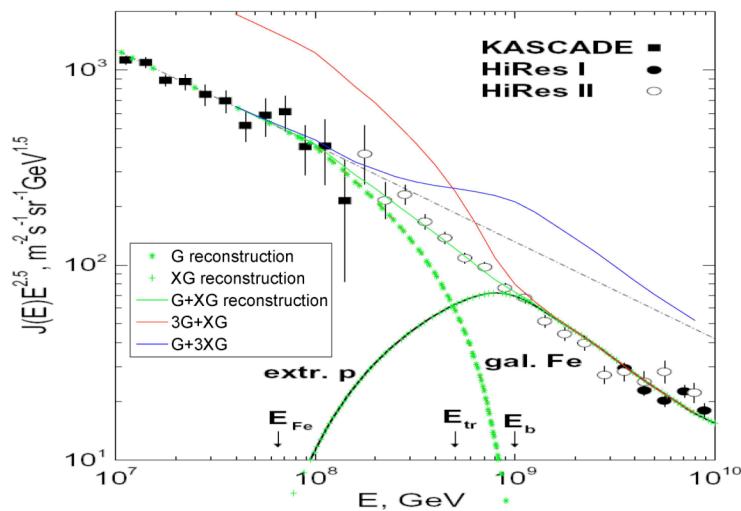
- $E^2(dQ/dE) \sim \text{Const.}$: Consistent with shock acceleration

[Krimsky 77; Bednarz & Ostrowski 98; Keshet & EW 05

cf. Lemoine & Revenu 06]



Galactic-ex. Galactic



Transition @ $\sim 10^{18}$ eV

Fine tuning

$$(dQ/d\varepsilon)_{XG} \sim \varepsilon^{-2.7}$$

Inconsistent spectrum

Transition @ $\sim 10^{19}$ eV
Inconsistent spectrum

[Katz, Budnik & EW 09]