# Linsley's EAS time structure method for the primary cosmic ray spectrum at LAAS

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## Abstract

A compact extensive air shower (EAS) array of eight plastic scintillation counters covering a total area of 2m<sup>2</sup> is built in Okayama University of Science, and operated since April 2006. We have also performed detector simulations based on the database obtained from the AIRES simulator and developed the procedures to estimate the primary cosmic ray energy from Linsley's time structure method. Applying this method to our EAS data and the simulation result, we derived the energy spectrum from 10<sup>16</sup> to 10<sup>19.5</sup>eV, and obtained the power-law index of -3.2(+0.46 -0.8) in the primary energy range of 10<sup>16</sup> to 10<sup>18.5</sup>eV. Additionally, we also showed the improvement of energy resolution by applying the ristriction of zenith angle of primary cosmic rays in our simulation.

#### 1.Aims

The estimate of the primary energy spectrum by using Linsley 's EAS time structure method with a compact EAS array.

Detector



Fig.1 The layout of the OUS1 array. The blue square symbols represent scintillation counters in the OUS1 array. The circle painted in red indicate the location of the OUS4 array

#### 3.Linslev's method

The individual EAS thickness is defined by using the dispersion  $\sigma_{\rm t}$  of arrival time distribution of EAS particles. to The average behavior of dispersion  $<\sigma_{t}>$  can be described by empirical formula

$$\langle \sigma_t \rangle = \sigma_{t0} \left(1 + \frac{r}{r_t}\right)^{\phi}$$
,  
 $b = (2.08 \pm 0.08) - (0.4 \pm 0.06) \sec \theta + (0 \pm 0.06) \log(E_0/10^{17} eV)$ 

where *r* is the core distance of EAS,  $\sigma_{t0}$ =1.6ns, *r*t=30m,

and b as function the EAS zenith angle  $\theta$  and the primary energy E, as shown in Fig. 4. However, we used the averaged b value (b=1.65) instead of the original b.

The probability density function of EAS particle arrival time can be approximated by a gamma distribution, and then  $\sigma$ t is calculated by

$$\sigma_{\rm t} = \frac{\sqrt{2}}{1.67} t_{\rm median}$$

where t<sub>median</sub> is the median in the series of EAS particle arrival time. The core distance r is calculated as

$$r = 30 \left\{ \left( 1.35 t_{\text{median}} \right)^{1/1.65} - 1 \right\}$$

#### 4.Simulation

- 1. We made databases of the lateral distribution of electrons and muons, the number of electrons and muons. and the standard deviation of the number of electrons by using AIRES simulator
- 2. We carried out the detector simulation for arbitrary primary energy in order to make databases of the lateral distribution averaged by simulated zenith angle distribution.
- 3. The primary energy resolution functions is calculated by using 1 and
- 4. The observed energy spectra are the convolution of the assumed powerlaw spectra with the acceptance and primary energy functions obtained by



Plastic scintillation counter (50cm × 50cm × 5cm, PMT:HAMAMATSU H7195)

Data acquisition system

or ini Fig.4 <  $\sigma_1$  > of arrival time distribution OUS1. The fitting performed with the of EAS particles as a function of EAS least square fitting method. The obtained core distance r.



•The flattering of the obtained primary energy spectrum in the primary energy region of  $10^{18} - 10^{19.5}$ eV.

The obtained energy spectrum is shown

corrected with the energy resolution of the

data spectrum is fitted by s single power-

law spectrum  $E_0^{\alpha'}$ .  $\alpha'$  and  $\alpha$  are

summarized in the Table 1.

→Due to the energy resolution of the OUS1 (Fig. 7)

The improvement of the primary energy resolution

 $\rightarrow$ It can be done by restricting the EAS zenith angle by using OUS4 (Fig. 8 and 9).



The determination accuracy of the spectral index can be improved (Fig 10).

### 7.Conclusion

•We have obtained the primary energy spectrum in primary energy region of 10<sup>16</sup> – 10<sup>19.5</sup>eV by using the Linsley's method with the compact EAS array "OUS1". The spectral index  $\alpha$  is equal to  $\alpha = -3.2(+0.46 - 0.8)$  in the primary energy region of 10<sup>16</sup> -10<sup>18.5</sup>eV.

In order to improve the energy resolution of the OUS1, we have simulated the improvement of the determination accuracy of the primary energy spectrum by using the OUS4 and have installed the OUS4.











Fig.10 The comparison between the indices of the primary energy spectra and obtained ones



Fig. 5 The diagram of simulation procedure.

The configuration of simulation parameters Hadronic interaction model: QGSJETII-3 + Hillas Splitting Algorithm The primary cosmic ray: proton,  $E0 = 10^{16} \text{eV} \sim 10^{20} \text{eV}$ •The zenith angle  $\theta$ : Odeg. ~ 60deg •The core distance r : 0m ~ 2000m

The chance coincident which is assumed to be random noises like atmospheric muons or the thermal noise of the scintillation counters